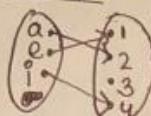


ONE TO ONE

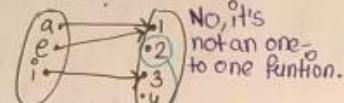
A function f from $A \rightarrow B$ is called one to one, if whenever $f(a) = f(b)$, then $a = b$. No element of B is the image of more than one element in A .

A function is said to be injective if it's one to one function.

Example



Is it an one-to-one function?



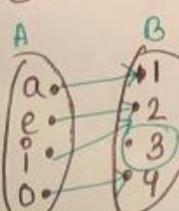
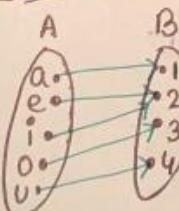
Why?
more than one element is paired with 2 in the Codomain.

ON TO

A function f from A to B is called onto if, for all b in B , there is an a in A , such that $f(a) = b$. All elements in B are used.

A function is said to be subjective if it is onto function.

Example



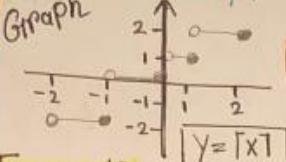
Because of this four elements in the codomain are not the image of every element in the domain.

CEILING FUNCTION

The ceiling function assigns to the real numbers x the smallest integer that is greater than or equal to x .

The value of the ceiling function at x denoted by $\lceil x \rceil$.

Graph



Example

$\lceil x \rceil$ Ceiling function: the smallest integer $\geq x$

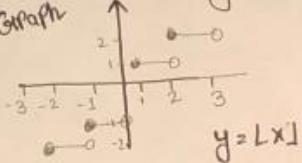
- 1) $\lceil 2.3 \rceil = 3$
- 2) $\lceil 7 \rceil = 7$
- 3) $\lceil \frac{1}{2} \rceil = 1$

FLOOR FUNCTION

The floor function assigns to the real number x , the largest integer that is less than or equal to x .

The value of the floor function at x is denoted by $\lfloor x \rfloor$.

Graph



Examples

$\lfloor x \rfloor$ Floor function: the largest integer $\leq x$

- 1) $\lfloor 2.3 \rfloor = 2$
- 2) $\lfloor 2 \rfloor = 2$
- 3) $\lfloor 0.5 \rfloor = 0$
- 4) $\lfloor -3.5 \rfloor = -4$

TYPES

There are many types of functions. They are:

- 1) one-to-one
- 2) onto
- 3) ceiling
- 4) floor, etc.

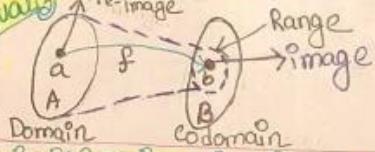
FUNCTION

DEFINITION

Let A and B be non-empty sets. A function f from A to B is an assignment of elements. Such that one element of B to each element of A , we write $f(a) = b$ if b is unique element of B assigned by the function f to each element a of A . If f is a function from A to B , we write $f: A \rightarrow B$. Functions are sometimes also called mapping or transformation.

$f: A \rightarrow B$

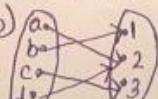
Visualisation



Which function is it? Is it a function or not?



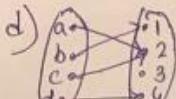
one to one function but not onto because all the elements in B are not used.



It is onto fine, but an not one to one because more than one element is paired with element 2 in the codomain.



It is both one to one and onto.



It is neither onto nor one to one function because all four element in the codomain not the images of every element in the domain, so it is not onto function. Not one to one, because more than one element is paired in the codomain.



it is not a function because it sends an element to two different element.